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isp

# Machine Learning for Stream-based Diagnosis

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# Setting

- ▶ Safety-critical systems must stay resilient during runtime.
- ▶ Faults must be detected and localized automatically.
- ▶ Runtime Verification for fault detection.
- ▶ Model-Based Diagnosis for fault localization.

Our work combines Runtime Verification and Model-Based Diagnosis in a unified stream-based framework using stream specification language LOLA.

# Motivation

Bottleneck in diagnosis:

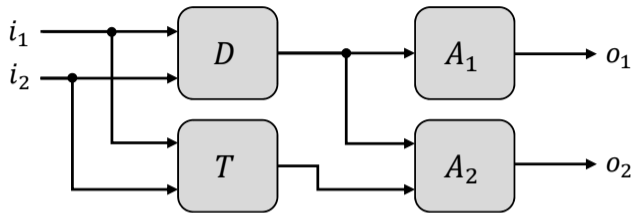
- ▶ How to precisely model the expected system behavior?
- ▶ Especially difficult for continuous data in cyber-physical systems.
- ▶ Machine Learning can bridge this gap by learning symbolic representations of normal behavior.

Goal: Integrate Machine Learning into our LOLA framework to improve applicability.

# Model-Based Diagnosis

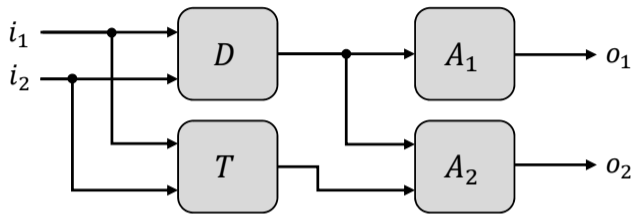
- ▶ Technique for localizing faults in compositional systems.
- ▶ Components can be normal or abnormal.
- ▶ Normal behaviors given by a *system description*.
- ▶ Task: Given some observation, identify components that, when assumed to be abnormal and others normal, explain observation.

# Model-based Diagnosis



- ▶ Inputs: temperature sensors  $i_1, i_2$ .
- ▶ Outputs: alarms  $o_1, o_2$ .
- ▶ Components  $\text{COMPS} = \{D, T, A_1, A_2\}$ .
- ▶ System description  $\text{SD} = \{$ 
  - $\neg\text{AB}(D) \rightarrow \text{out}_D = |i_1 - i_2|,$
  - $\neg\text{AB}(T) \rightarrow \text{out}_T = (i_1 + i_2)/2,$
  - $\neg\text{AB}(A_1) \rightarrow o_1 = (\text{out}_D \geq 1),$
  - $\neg\text{AB}(A_2) \rightarrow o_2 = (\text{out}_T - \text{out}_D \geq 5)$ $\}$

# Model-based Diagnosis



Given system description  $SD$  and observation  $OBS$ :

- ▶ Diagnosis is subset  $\Delta \subseteq COMPS$ , such that

$SD \cup OBS \cup \{AB(c) \mid c \in \Delta\} \cup \{\neg AB(c) \mid c \in COMPS \setminus \Delta\}$  is consistent.

- ▶ Here, e.g.,  $OBS = \{i_1 = 5, i_2 = 7, o_1 = false, o_2 = true\}$  leading to diagnoses:  
 $\Delta_1 = \{D\}$ ,  $\Delta_2 = \{T, A_1\}$ ,  $\Delta_3 = \{A_1, A_2\}$ .

# LOLA

- ▶ Synchronous stream specification language used in Runtime Verification.
- ▶ Specification maps input streams to defined streams.

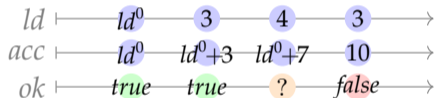
Example:

`in`  $ld : \mathbb{R}$

`def`  $acc := acc[-1|0] + ld - ld[-3|0]$

`def`  $ok := acc \leq 8$

**ASSUMPTION** :  $0 \leq ld \leq 5$



- ▶ Input values may be exact, noisy (ranges), or unknown.
- ▶ Uncertain values are encoded symbolically.
- ▶ Assumption encodes background knowledge.
- ▶ Reasoning via SMT solving.
- ▶ Additionally, internal streams only implicitly defined via assumption.

# Diagnosis in LOLA

- ▶ Encode system description as assumption stream.
- ▶ Encode observable variables as input streams.
- ▶ Encode unobservable variables as internal streams.
- ▶ For each component  $c$ , encode its health state as Boolean internal stream indicating that  $c$  is abnormal at a specific time instant.

# Diagnosis in LOLA

*internal*  $D, T, A_1, A_2 : \mathbb{B}$

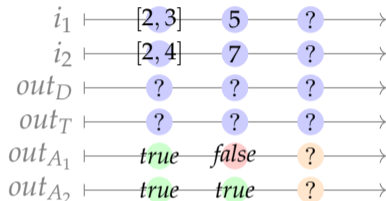
*in*  $i_1, i_2 : \mathbb{R}$

*in*  $o_1, o_2 : \mathbb{B}$

*internal*  $out_D, out_T : \mathbb{R}$

ASSUMPTION :

$$\begin{aligned} & (\neg D \rightarrow (out_D = |i_1 - i_2|)) \\ & \wedge (\neg T \rightarrow (out_T = (i_1 + i_2)/2)) \\ & \wedge (\neg A_1 \rightarrow (o_1 \leftrightarrow out_D \geq 1)) \\ & \wedge (\neg A_2 \rightarrow (o_2 \leftrightarrow out_T - out_D \geq 5)) \end{aligned}$$



- ▶ Outputs of  $D$  and  $T$  are unobserved.
- ▶ Instants 1 and 2 are inconsistent  $\Rightarrow$  faults detected.
- ▶ Non-empty minimal diagnoses for instants 1 and 2.

## Diagnosis in LOLA – Practical Considerations

- ▶ System descriptions may be temporal.
- ▶ Ideally, diagnoses explain *all* time instants (components normal/abnormal over all instants).
- ▶ But trace-length independent complexity is usually a requirement for monitoring.
- ▶ To guarantee this, it might be necessary to restrict diagnosis to constant-sized recent history (health states assumed only for sliding window), at the cost of diagnostic precision.

# How to Obtain System Descriptions?

- ▶ Precisely and formally modelling the expected behavior is a major challenge.
- ▶ Where should thresholds for sensor readings lie?
- ▶ How to interpret multiple sensor readings jointly?

# Learning System Descriptions via Machine Learning

Basic idea of approach by Moddemann et al.:

- ▶ A model (here a CatVAE) is trained unsupervised on the normal behavior of some components  $C \subseteq \text{COMPS}$ .
- ▶ The model estimates and discretizes
  - (i) a state  $s_i$  (from a finite domain) the (sub)system is likely to be in (e.g., *heating* or *cooling*)
  - (ii) a Boolean *residual*  $r$  as an indicator of inconsistency
- ▶ System description consists of formulas obtained via association-rule mining of the form

$$(\bigwedge_{c \in C} \neg \text{AB}(c)) \rightarrow (s_i \rightarrow r)$$

- ▶ If state is  $s_i$  and  $r = \text{false}$ , then at least one  $c \in C$  must be abnormal.

# Preliminary Work: Integration in the LOLA Framework

General idea:

- ▶ Use obtained formulas as assumption.
- ▶ Give observation to model, and pipe state and residual to input streams.

`internal`  $D, T, A_1, A_2 : \mathbb{B}$

`in`  $s : \text{State}$

`internal`  $out_D, out_T : \mathbb{R}$

`ASSUMPTION` :

$$\begin{aligned} & ((\neg D \wedge \neg T \wedge \neg A_1 \wedge \neg A_2) \rightarrow (s = s_1 \rightarrow r)) \\ & \wedge ((\neg D \wedge \neg T \wedge \neg A_1 \wedge \neg A_2) \rightarrow (s = s_2 \rightarrow r)) \\ & \wedge \dots \end{aligned}$$

- ▶ Enables diagnosis in otherwise infeasible domains at the cost of formal soundness guarantees.

# Considerations and Open Questions

Multiple models:

- ▶ One model can only construct rules for a fixed  $C \subseteq \text{COMPS}$  where the  $c \in C$  are indistinguishable from each other.
- ▶ Multiple models for partially overlapping subsystems.
- ▶ Requires more observable values.

# Considerations and Open Questions

Incorporating temporal aspects:

- ▶ Moddemann et al. produce only one state and residual for entire observations (i.e., in the LOLA setting over an entire trace).
- ▶ Can the models be trained, such that the temporal evolution of the system is taken into account?
- ▶ If yes, is this also possible for the sliding windows?

# Considerations and Open Questions

Mixing symbolic and subsymbolic system descriptions:

- ▶ Can precise descriptions for subsystems be combined with ML-derived descriptions?
- ▶ How to take advantage of overlapping components?
- ▶ Additional rules that reason over state transitions possible, but states are unlabeled (symbol grounding problem).

# Conclusion

- ▶ Machine learning can help to derive system descriptions for model-based diagnosis.
- ▶ The approach can in principle be applied in the LOLA-based framework.
- ▶ However, there are many challenges and open questions that require future research.